

# On Kripke

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## My Ideas explained

We will take the following as primitive for my discussion

**person\_slice**(event,t) is the **event** (**Whitehead's actual\_occasion**) which is a member of a **person** at time t.(actually there would be a set of events for some duration, but I think these technicalities can be ignored for the purposes here.)

**same\_person**(event1,event2) relation between two **person\_slices** belonging to the same person.

**Person** = class of events such that they are all **person\_slices** related by **same\_person**.

**Person\_id**(event) = **person** with event as a member

$f(p) = \text{Person}(p) \ \& \ (\exists e)\text{Person\_id}(e) \ \& \ e \in p \ \& \ f(e)$

$p_{1968} = \text{won 1968 presidential election.}$

$\text{Nixon}(p) = \text{was called 'Nixon'}$

## My ideas applied

Consider "The person who won the 1968 presidential election won the 1968 election."

This can be analyzed:

- 1)  $(\exists p) ((x)(p_{1968}(p) \Leftrightarrow p_{1968}(x) ) \ \& \ p_{1968}(p)$
- 2) Or  $(\exists p) ((x)(p_{1968}(p) \Leftrightarrow p_{1968}(x) ) \ \& \ p_{1968}(p)$
- 3) But  $p_{1968}(p) = \text{Person}(p) \ \& \ (\exists e) \text{Person\_id}(e) \ \& \ p_{1968}(e).$
- 4) Or  $p_{1968}(p) = \text{Person}(p) \ \& \ (\exists e) \text{Person\_id}(e) \ \& \ p_{1968}(e).$

- 5) So 1 is  $(\exists p)((x)((\text{Person}(p) \ \& \ (\exists e) \ \text{Person\_id}(e) \ e \ \varepsilon \ p \ \& \ p1968(e) ) \Leftrightarrow \text{Person}(x) \ \& \ (\exists y) \ \text{Person\_id}(y) \ \& \ y \ \varepsilon \ x \ p1968(y) ) \ \& \ p1968(p)$
- 6) Or  $(\exists p)((x)((\text{Person}(p) \ \& \ (\exists e) \ \text{Person\_id}(e) \ e \ \varepsilon \ p \ \& \ p1968(e) ) \Leftrightarrow \text{Person}(x) \ \& \ (\exists y) \ \text{Person\_id}(y) \ \& \ y \ \varepsilon \ x \ p1968(y) ) \ \& \ p1968(p)$
- 7) I suggest the analysis should be instead
- 8)  $(\exists p)(\exists z)(z \ \varepsilon \ p \ \& \ p1968(z) \ \& \ (x) \ (p1968(x) \ \Leftrightarrow \ x \ \varepsilon \ p) \ \& \ p1968(z)$
- 9) Or  $(\exists p)(\exists z)(z \ \varepsilon \ p \ \& \ p1968(z) \ \& \ (x) \ (p1968(x) \ \Leftrightarrow \ x \ \varepsilon \ p) \ \& \ p1968(z)$
- 10) Also
- 11) Nixon won the 1968 election would be.
- 12)  $(\exists p)(\exists z)(x)(z \ \varepsilon \ p \ \& \ \text{Nixon}(z) \ \Leftrightarrow \ x \ \varepsilon \ p) \ \& \ p1968(z)$
- 13) Or  $(\exists p)(\exists z)(x)(z \ \varepsilon \ p \ \& \ \text{Nixon}(z) \ \Leftrightarrow \ x \ \varepsilon \ p) \ \& \ p1968(z)$
- 14) Thus the proposition presumes the meaningfulness of ‘same\_person’.
- 15) It would seem that when fully analyzed a propositions about a person-slice at one time would relate in any necessary way with another time-slice of the same person at another time. But we presume there is such a relationship when we use a name.
- 16) E.g.
- 17) Symbol\_0r(S,'Nixon',Nixon,t) implies there is a person Nixon.
- 18) Thus when we speak of a person, such as Nixon, we imply there is a class of person slice, related by ‘same\_person’, which there is an application of the word ‘Nixon’ to refer to.
- 19) The state (psychological) of the person with a belief\_r containing a sub-experience, that the person takes to be referring to Nixon, could exist even if Nixon did not.
- 20) Thus, with my definition the ‘belief’ would not exist – even though the ‘belief\_r’ would.
- 21) For different people, the class of person-slices (or facts about them), for Nixon (or whoever) would (at least almost always) vary.
- 22) Different people know Nixon differently.
- 23) But they agree there was a person, which (at least much of) what they collectively believe to be true of, applies.
- 24) This is what using the name must entail, which is necessarily vague.
- 25) If we want to be more precise, we can replace names with definite descriptions.
- 26) This, however, is not mere analysis – the meanings are not exactly the same.

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